Name	PeriodDate
2:28 Summary of Integration and Differentiation (M-22)	
1. A pure exponential function is identical If $y = e^x$ then $dy/dx = $ a where "C" can have any constant value	nd $\int y dx = \underline{\qquad} + C$,
2. Differentiating a pure sinusoidal curve If $y = \sin x$ then $dy/dx =$	e shifts it by cycle to the
Integrating a sinusoidal function shifts If $Y = $ then $\int Y dx$	it by cycle to the $x = \sin x + C.$
	ses its exponent tocrease by by the
	of differentiation. Integrating a polynomial term and causes its coefficient to be
For example, if $y = k x^n$ then $\int y$	dx = + C.
5. "Nested" functions can be differentiated	ed with the <i>chain rule</i> :
If $y = f[g(x)]$ then dy/dx	$\mathbf{x} = (\mathrm{d}\mathbf{f}/\mathrm{d}\mathbf{g})(\mathrm{d}\mathbf{g}/\mathrm{d}\mathbf{x}).$
For example, if $y = A e^{kx}$ then dy/dx	=
Differentiating a generalized exponent multiplied by thefa	tial causes its coefficient to be ctor in its exponent. (variable, constant)
6. Integrating a generalized exponential f by the factor in its For example, if $y = A e^{kx}$ then $\int y dx$	function causes its coefficient to be exponent: =+ C.
7. If $y = A \sin \omega t$ then (using the chai	n rule)
$dy/dt =$ and $\int y$	dx =+ C.
If $y = A \cos \omega t$ then $\int y dx =$	+ C, and $dy/dt =$
8. Product rule:If f and g are two functions of x, and then the derivative of their product is	f' and g' are their derivatives,