# **Chapter 5 Mathematics**

# 5:1a Math and Deduction

Mathematical knowledge claims

- Sound and hard to argue with because they are based on logical deduction
- Different than knowledge in some other areas of knowledge because there is a possibility of proving claims completely

$$b = \frac{\sum XY - n\overline{XY}}{\sum X^2 - n(\overline{X})^2}$$
$$a = \overline{Y} - \overline{bX}$$

• Are objective claims which anyone who understands math can agree on

# Logical deduction

- The foundation on which mathematics is built
- Deduction can be defined as: making conclusions based on premises known to be true
- Mathematics proves itself through deduction

### 5:1b Math and Deduction

Logic



- **Logic** is the science of correct reasoning
- **Reasoning** is any argument in which certain assumptions of premises are stated, and then some other conclusion or fact necessarily follows.
- Logic sometimes called the science of necessary inference

Math and metaphysics

- The logic behind mathematics is also viewed as being a member of the branch of philosophy known as *metaphysics*
- **Metaphysics** is the study and the description of the nature of reality
- Math in the west originated as a branch of philosophy. It attempted to describe and understand the nature of reality

### 5:1c Math and Deduction

• The assumption that reasoning is the best way at getting to the nature of reality is a philosophical assumption which may not necessarily be true in all or any circumstances

#### Subjects and Predicates

- A *subject* is considered an individual phenomenon or entity, such as a **tree** or a **bird**.
- A *predicate* is an attribute of the subject, such as the tree being **big** or the bird being **grey**.
- There are agreed upon rules in math regarding the use of subjects and predicates

Fundamental principles regarding subjects and predicates

• *Identity*: Everything is what it is and acts accordingly